## Quantum control of ion-atom collisions beyond the ultracold regime

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Tunable scattering resonances are crucial for controlling atomic and molecular systems [1]. However, their use has so far been limited to ultracold temperatures. These conditions remain hard to achieve for most hybrid trapped ionatom systems—a prospective platform for quantum technologies and fundamental research [2]. We measure inelastic collision probabilities between a single  $Sr^+$  ion and an Rb atom, and use them to calibrate a comprehensive theoretical model of ion-atom collisions [3]. Our theoretical results, compared with experimental observations, confirm that quantum interference effects persist to the multiple-partial-wave regime, leading to the pronounced state and mass dependence of the collision rates. Using our model, we go beyond interference and identify a rich spectrum of Feshbach resonances at moderate magnetic fields with the Rb atom in its lower (f = 1) hyperfine state, which persist at temperatures as high as 1 millikelvin. Future observation of these predicted resonances should allow precise control of the short-range dynamics in  $Sr^+$  + Rb collisions under unprecedentedly warm conditions.



Figure 1: Probability of the spin-flip of the ion at T = 0.5 mK, calculated as a function of magnetic field for three different sets of singlet and triplet potential energy curves matching the measurements at B = 2.97 G.  $\Phi_s$  and  $\Delta \Phi$  denote the singlet semiclassical phase modulo  $\pi$  and the semiclassical singlet-triplet phase difference modulo  $\pi$  that we use to describe the interaction potentials.

## References

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